## All India Maha Mock: IBPS RRB PO Prelims 2021 (Solutions)

## S1. Ans.(b)

**Sol.** From the given statements, More than three persons were born before Karn. Number of persons born between Bhim and Karn is same as number of persons born between Krishna and Bhim. Krishna was born after Karn. So we have two possible cases i.e. case-1 and case-2:

Months	Case-1	Case-2
March		
April		
May		
July		
August	Karn	
September	Bhim	Karn
November	Krishna	Bhim
December		Krishna

Only three persons were born between Krishna and Arjun . Nakul was born just after Sahdev. Abhimanyu was born after Arjun and before Balram. So case-2 is eliminated. Hence the final arrangement is:

Months	Persons
March	Sahdev
April	Nakul
May	Arjun
July	Abhimanyu
August	Karn
September	Bhim
November	Krishna
December	Balram



## S2. Ans.(d)

**Sol.** From the given statements, More than three persons were born before Karn. Number of persons born between Bhim and Karn is same as number of persons born between Krishna and Bhim. Krishna was born after Karn . So we have two possible cases i.e. case-1 and case-2:

Months	Case-1	Case-2
March		
April		
May		
July		
August	Karn	
September	Bhim	Karn
November	Krishna	Bhim
December		Krishna

Only three persons were born between Krishna and Arjun . Nakul was born just after Sahdev. Abhimanyu was born after Arjun and before Balram. So case-2 is eliminated. Hence the final arrangement is:



Months	Persons
March	Sahdev
April	Nakul
May	Arjun
July	Abhimanyu
August	Karn
September	Bhim
November	Krishna
December	Balram

### S3. Ans.(b)

**Sol.** From the given statements, More than three persons were born before Karn. Number of persons born between Bhim and Karn is same as number of persons born between Krishna and Bhim. Krishna was born after Karn . So we have two possible cases i.e. case-1 and case-2:

Months	Case-1	Case-2
March		
April		
May		
July		
August	Karn	
September	Bhim	Karn
November	Krishna	Bhim
December		Krishna

Only three persons were born between Krishna and Arjun . Nakul was born just after Sahdev. Abhimanyu was born after Arjun and before Balram. So case-2 is eliminated. Hence the final arrangement is:

Months	Persons
March	Sahdev
April	Nakul
May	Arjun
July	Abhimanyu
August	Karn
September	Bhim
November	Krishna
December	Balram

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## S4. Ans.(e)

**Sol.** From the given statements, More than three persons were born before Karn. Number of persons born between Bhim and Karn is same as number of persons born between Krishna and Bhim. Krishna was born after Karn . So we have two possible cases i.e. case-1 and case-2:

Months	Case-1	Case-2
March		
April		
May		
July		
August	Karn	
September	Bhim	Karn
November	Krishna	Bhim
December		Krishna

Only three persons were born between Krishna and Arjun . Nakul was born just after Sahdev. Abhimanyu was born after Arjun and before Balram. So case-2 is eliminated. Hence the final arrangement is:

Months	Persons
March	Sahdev
April	Nakul
May	Arjun
July	Abhimanyu
August	Karn
September	Bhim
November	Krishna
December	Balram

## S5. Ans.(a)

**Sol.** From the given statements, More than three persons were born before Karn. Number of persons born between Bhim and Karn is same as number of persons born between Krishna and Bhim. Krishna was born after Karn . So we have two possible cases i.e. case-1 and case-2:

Months	Case-1	Case-2
March		
April		
May		
July		
August	Karn	
September	Bhim	Karn
November	Krishna	Bhim
December		Krishna

Only three persons were born between Krishna and Arjun . Nakul was born just after Sahdev. Abhimanyu was born after Arjun and before Balram. So case-2 is eliminated. Hence the final arrangement is:

Months	Persons
March	Sahdev
April	Nakul
May	Arjun
July	Abhimanyu
August	Karn
September	Bhim
November	Krishna
December	Balram

## S6. Ans.(e)

**Sol.** From both I and II we get that Q is the second tallest persons

## U > Q > S > R > V > W/P > W/P

## S7. Ans.(d)

**Sol.** From both I and II we cannot get who sits immediate left of G.

## S8. Ans.(c)

Sol. From either I or II we get that code for land is 'wa'

Words	Codes
Land	Wa
Trouble	lo/er
Economy	lo/er
India	Uy
Network	oh/ki
Power	oh/ki
Price	Eq

### **S9. Ans.(a)**

**Sol.** From the given statements, Q belongs to the zone which has highest number of cases means Q belongs to red zone. Not less than three persons belong to a particular zone means each zone has three persons. P and T belong to the same zone. P does not belong to green zone. R and V belong to the same zone but not red zone. U and X belongs to the same zone but not orange zone so we have two possible cases i.e. case-1 and case-2:

Case-1		Case-2			
Red zone	Orange zone	Green zone	Red zone	Orange zone	Green zone
Р	R	U	U	Р	R
Т	V	Х	Х	Т	V
Q			Q		

W does not belong to the same zone as X and P. S does not belong to the same zone as R and T so case-2 is eliminated. Hence the final arrangement is:

Red zone	Orange zone	Green zone
Р	R	U
Т	V	Х
Q	W	S

#### S10. Ans.(d)

**Sol.** From the given statements, Q belongs to the zone which has highest number of cases means Q belongs to red zone. Not less than three persons belong to a particular zone means each zone has three persons. P and T belong to the same zone. P does not belong to green zone. R and V belong to the same zone but not red zone. U and X belongs to the same zone but not orange zone so we have two possible cases i.e. case-1 and case-2:

	Case-1 Case-		Case-2		
Red zone	Orange zone	Green zone	Red zone	Orange zone	Green zone
Р	R	U	U	Р	R
Т	V	Х	Х	Т	V
Q			Q		

W does not belong to the same zone as X and P. S does not belong to the same zone as R and T so case-2 is eliminated. Hence the final arrangement is:

Red zone	Orange zone	Green zone
Р	R	U
Т	V	Х
Q	W	S

### S11. Ans.(e)

**Sol.** From the given statements, Q belongs to the zone which has highest number of cases means Q belongs to red zone. Not less than three persons belong to a particular zone means each zone has three persons. P and T belong to the same zone. P does not belong to green zone. R and V belong to the same zone but not red zone. U and X belongs to the same zone but not orange zone so we have two possible cases i.e. case-1 and case-2:

Case-1		Case-2			
Red zone	Orange zone	Green zone	Red zone	Orange zone	Green zone
Р	R	U	U	Р	R
Т	V	Х	Х	Т	V
Q			Q		

W does not belong to the same zone as X and P. S does not belong to the same zone as R and T so case-2 is eliminated. Hence the final arrangement is:

Red zone	Orange zone	Green zone
Р	R	U
Т	V	Х
Q	W	S

#### S12. Ans.(d)

**Sol.** From the given statements, Q belongs to the zone which has highest number of cases means Q belongs to red zone. Not less than three persons belong to a particular zone means each zone has three persons. P and T belong to the same zone. P does not belong to green zone. R and V belong to the same zone but not red zone. U and X belongs to the same zone but not orange zone so we have two possible cases i.e. case-1 and case-2:

Case-1		Case-2			
Red zone	Orange zone	Green zone	Red zone	Orange zone	Green zone
Р	R	U	U	Р	R
Т	V	Х	Х	Т	V
Q			Q		

W does not belong to the same zone as X and P. S does not belong to the same zone as R and T so case-2 is eliminated. Hence the final arrangement is:

Red zone	Orange zone	Green zone
Р	R	U
Т	V	Х
Q	W	S

#### S13. Ans.(b)

**Sol.** From the given statements, Q belongs to the zone which has highest number of cases means Q belongs to red zone. Not less than three persons belong to a particular zone means each zone has three persons. P and T belong to the same zone. P does not belong to green zone. R and V belong to the same zone but not red zone. U and X belongs to the same zone but not orange zone so we have two possible cases i.e. case-1 and case-2:

Case-1		Case-2			
Red zone	Orange zone	Green zone	Red zone	Orange zone	Green zone
Р	R	U	U	Р	R
Т	V	Х	Х	Т	V
Q			Q		

W does not belong to the same zone as X and P. S does not belong to the same zone as R and T so case-2 is eliminated. Hence the final arrangement is:

Red zone	Orange zone	Green zone
Р	R	U
Т	V	Х
Q	W	S

**S14. Ans.(b) Sol.** O B J E C T I V E P A I F B S J U F F is repeated.

**S15. Ans.(a) Sol.** TOY SAT PLY FUN DIM XEN OTY AST LPY FNU DIM ENX DIM remains the same

S16. Ans.(b) Sol. Vowels between M and P is 'O'

**S17. Ans.(b) Sol.** DIM FUN PLY SAT TOY XEN

S18. Ans.(d) Sol. YOT TAS YLP NUF MID NEX NUF, MID, NEX start with a letter that comes before R i.e. N and M.

S19. Ans.(d)
Sol. consonants between T and Y are 'V, W, X' i.e. three

S20. Ans.(b) Sol. 7 6 5 3 9 8 6 2 6 6 7 4 2 8 9 7 3 7 7 is repeated.

#### S21. Ans.(d)

**Sol.** From the given statements, P sits fifth to the right of R, who sits at the extreme end of the row. W sits second to the left of P and faces north. Q is an immediate neighbor of W. R faces opposite direction of W. Here we get three possibilities Case-1, Case-2 and Case-3.







Now, Three persons sit between T and V. here case-1 and case-3 ruled out. U sits third to the right of Q. S does not sit at extreme end of row and does not face north. S sits to the immediate right of V. T and V face same direction as U. So the final arrangement will be:



#### S22. Ans.(e)

**Sol.** From the given statements, P sits fifth to the right of R, who sits at the extreme end of the row. W sits second to the left of P and faces north. Q is an immediate neighbor of W. R faces opposite direction of W. Here we get three possibilities Case-1, Case-2 and Case-3.



Now, Three persons sit between T and V. here case-1 and case-3 ruled out. U sits third to the right of Q. S does not sit at extreme end of row and does not face north. S sits to the immediate right of V. T and V face same direction as U. So the final arrangement will be:



## S23. Ans.(e)

**Sol.** From the given statements, P sits fifth to the right of R, who sits at the extreme end of the row. W sits second to the left of P and faces north. Q is an immediate neighbor of W. R faces opposite direction of W. Here we get three possibilities Case-1, Case-2 and Case-3.



Now, Three persons sit between T and V. here case-1 and case-3 ruled out. U sits third to the right of Q. S does not sit at extreme end of row and does not face north. S sits to the immediate right of V. T and V face same direction as U. So the final arrangement will be:



## S24. Ans.(d)

**Sol.** From the given statements, P sits fifth to the right of R, who sits at the extreme end of the row. W sits second to the left of P and faces north. Q is an immediate neighbor of W. R faces opposite direction of W. Here we get three possibilities Case-1, Case-2 and Case-3.



Now, Three persons sit between T and V. here case-1 and case-3 ruled out. U sits third to the right of Q. S does not sit at extreme end of row and does not face north. S sits to the immediate right of V. T and V face same direction as U. So the final arrangement will be:



## S25. Ans.(a)

**Sol.** From the given statements, P sits fifth to the right of R, who sits at the extreme end of the row. W sits second to the left of P and faces north. Q is an immediate neighbor of W. R faces opposite direction of W. Here we get three possibilities Case-1, Case-2 and Case-3.



Now, Three persons sit between T and V. here case-1 and case-3 ruled out. U sits third to the right of Q. S does not sit at extreme end of row and does not face north. S sits to the immediate right of V. T and V face same direction as U. So the final arrangement will be:



S26. Ans.(e) Sol.







#### S34. Ans.(a)

**Sol.** From the given statements, G sits second to the left of H, who has kar98. Here we get two possibilities i.e. case-1 and case-2. D sits to the immediate right of F and does not sit at the corner of the table. B is not an immediate neighbor of G. Two persons sit between F and B.



Now, the one who has M762 sits third to the left of B. E sits third to the left of the one who has M416. The one who has M416 is not an immediate neighbor of the one who has Kar98 and B. D does not have any gun. Here we get one more possibility i.e. case-2A.



Now, A has AWM and is not an immediate neighbor of B. Here case-2 and Case-2A is ruled out. So, the final arrangement will be:



#### S35. Ans.(d)

**Sol.** From the given statements, G sits second to the left of H, who has kar98. Here we get two possibilities i.e. case-1 and case-2. D sits to the immediate right of F and does not sit at the corner of the table. B is not an immediate neighbor of G. Two persons sit between F and B.



Now, the one who has M762 sits third to the left of B. E sits third to the left of the one who has M416. The one who has M416 is not an immediate neighbor of the one who has Kar98 and B. D does not have any gun. Here we get one more possibility i.e. case-2A.



Now, A has AWM and is not an immediate neighbor of B. Here case-2 and Case-2A is ruled out. So, the final arrangement will be:





#### S36. Ans.(b)

**Sol.** From the given statements, G sits second to the left of H, who has kar98. Here we get two possibilities i.e. case-1 and case-2. D sits to the immediate right of F and does not sit at the corner of the table. B is not an immediate neighbor of G. Two persons sit between F and B.



Now, the one who has M762 sits third to the left of B. E sits third to the left of the one who has M416. The one who has M416 is not an immediate neighbor of the one who has Kar98 and B. D does not have any gun. Here we get one more possibility i.e. case-2A.



Now, A has AWM and is not an immediate neighbor of B. Here case-2 and Case-2A is ruled out. So, the final arrangement will be:



## S37. Ans.(b)

**Sol.** From the given statements, G sits second to the left of H, who has kar98. Here we get two possibilities i.e. case-1 and case-2. D sits to the immediate right of F and does not sit at the corner of the table. B is not an immediate neighbor of G. Two persons sit between F and B.



Now, the one who has M762 sits third to the left of B. E sits third to the left of the one who has M416. The one who has M416 is not an immediate neighbor of the one who has Kar98 and B. D does not have any gun. Here we get one more possibility i.e. case-2A.



Now, A has AWM and is not an immediate neighbor of B. Here case-2 and Case-2A is ruled out. So, the final arrangement will be:



adda241

#### S38. Ans.(d)

**Sol.** From the given statements, G sits second to the left of H, who has kar98. Here we get two possibilities i.e. case-1 and case-2. D sits to the immediate right of F and does not sit at the corner of the table. B is not an immediate neighbor of G. Two persons sit between F and B.



Now, the one who has M762 sits third to the left of B. E sits third to the left of the one who has M416. The one who has M416 is not an immediate neighbor of the one who has Kar98 and B. D does not have any gun. Here we get one more possibility i.e. case-2A.



Now, A has AWM and is not an immediate neighbor of B. Here case-2 and Case-2A is ruled out. So, the final arrangement will be:



**S39. Ans.(c) Sol. I:** A%E (false) **II:** F\*H (false)

**S40. Ans.(b) Sol. I:** W\*Z (false) **II:** V@T (true)

#### S41. Ans.(c) Sol.

Required percentage =  $\frac{(120+240)}{(160+240)} \times 100$ =  $\frac{360}{400} \times 100 = 90\%$ 

#### S42. Ans.(e) Sol.

Average number of girls attend in 2014, 2015 &  $2016 = \frac{240+360+300}{3} = 300$ Average number of boys attend in 2011, 2014 and  $2016 = \frac{80+160+360}{3} = 200$ Required difference = 300 - 200 = 100

#### S43. Ans.(b) Sol.

Total boys attend annual sports day in 2017 =  $280 \times \frac{115}{100} = 322$ Total girls attend annual sports day in 2017 =  $240 \times \frac{60}{100} = 144$ So, total number of students attend annual sport day in 2017 = 322 + 144 = 466

# S44. Ans.(d) Sol. Required ratio = $\frac{(120+180)+(240+120)}{(280+360)+(360+300)}$

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=\frac{660}{1300}=33:65
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#### S45. Ans.(a) Sol.

Total boys attend in all the given six years = (80 + 120 + 240 + 160 + 280 + 360) = 1240Total girls attend in all the given six years = (260 + 180 + 120 + 240 + 360 + 300) = 1460Required difference = 1460 - 1240 = 220

## S46. Ans.(d)

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Sol.
Wrong number = 1900
Pattern of series –
32 ×1.5=48
48 ×2.5=120
120 ×3.5=420
420 ×4.5=1890
1890 ×5.5=10395
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## S47. Ans.(a)

**Sol.** Wrong number = 32 Pattern of series – 12 + (2.1 ×1)= 14.1 14.1 + (2.1 ×2)=18.3 18.3 + (2.1 ×3)=24.6 24.6 ×(2.1 ×4)=**33** 33 + (2.1 ×5)=43.5

## S48. Ans.(a)

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Sol.
Wrong number = 5680
Pattern of series –
46 ×5+5=235
235 ×4+5=945
945 ×3+5=2840
2840 ×2+5=5685
5685×1+5=5690
```





**12 Months Validity** 

S49. Ans.(b) Sol. Wrong number = 300 Pattern of series - 121 + 13 <sup>2</sup> = 290 290 + 11 <sup>2</sup> = 411 411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 S41 + 5 <sup>2</sup> = 566 S50. Ans.(c) Sol. Wrong number = 716 Pattern of series - 10 × 0.5 + 1=6 6 × 1+2=8 8 × 2+4=20 20 × 4+8=88 88 × 8+16=720 S51. Ans.(d) Sol. Let present age of Veer and Ayush be 16n years and 7n years respectively ATQ - $\frac{164+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = 35 × 3 - [(16 × 3) + (7 × 3)] = 105 - (48 + 21) = 36 years S52. Ans.(c) Sol. Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 150} = 13000$ Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) [(1 + $\frac{10}{100}$ ) <sup>2</sup> - 1] = 3360 (13000 + X) = 16000 X = 3000	
Sol. Wrong number = 300 Pattern of series - 121 + 13 <sup>2</sup> = 290 290 + 11 <sup>2</sup> = 411 411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 S50. Ans.(e) Sol. Wrong number = 716 Pattern of series - 10 × 0.5+1=6 6 × 1+2=8 8 × 2+4=20 20 × 4+8=88 88 × 8+16=720 S51. Ans.(d) Sol. Let present age of Veer and Ayush be 16n years and 7n years respectively ATQ - $\frac{16n+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = $35 \times 3 - [(16 \times 3) + (7 \times 3)]$ = 105 - (48 + 21) = 36 years S52. Ans.(c) Sol. Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15} = 13000$ Rs. Amount invested by Ankit in scheme Q = $(13000 + X)$ Rs. ATQ - $(13000 + X) [(1 + \frac{10}{100})^2 - 1] = 3360(13000 + X) = 16000X = 3000$	S49. Ans.(b)
Wrong number = 300 Pattern of series - 121 + 13 <sup>2</sup> = <b>290</b> 290 + 11 <sup>2</sup> = 411 411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 <b>Sol.</b> Wrong number = 716 Pattern of series - 10 × 0.5+1=6 6 × 1+2=8 8 × 2+4=20 20 × 4+8=88 88 × 8+16= <b>720</b> <b>S51.</b> Ans.(d) <b>Sol.</b> Let present age of Veer and Ayush be 16n years and 7n years respectively $ATQ - \frac{16n+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = $35 \times 3 - [(16 \times 3) + (7 \times 3)]$ = 105 - (48 + 21) = 36 years <b>S52.</b> Ans.(c) <b>S51.</b> Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15} = 13000$ Rs. Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15} = 13000$ Rs. Amount invested by Ankit in scheme Q = $(13000 + X)$ Rs. $ATQ - (13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ $(13000 + X) \{(1 + \frac{10}{1000})^2 - 1\} = 3360$ (13000 + X) = 16000	Sol.
Pattern of series - 121 + 13 <sup>2</sup> = 290 290 + 11 <sup>2</sup> = 411 411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 <b>S50.</b> Ans.(c) <b>Sol.</b> Wrong number = 716 Pattern of series - 10 × 0.5+1=6 6 × 1+2=8 8 × 2+4=20 20 × 4+8=88 88 × 8+16=720 <b>S51.</b> Ans.(d) <b>Sol.</b> Let present age of Veer and Ayush be 16n years and 7n years respectively $ATQ - \frac{16+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = 35 × 3 - [(16 × 3) + (7 × 3)] = 105 - (48 + 21) = 36 years <b>S52.</b> Ans.(c) <b>Sol.</b> Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme P = $\frac{1000 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) {(1 + $\frac{10}{100}$ ) <sup>2</sup> - 1] = 3360 (13000 + X) = 16000 X = 3000	Wrong number = 300
121 + 13 <sup>2</sup> = 290 290 + 11 <sup>2</sup> = 411 411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 <b>S50. Ans.(e)</b> <b>Sol.</b> Wrong number = 716 Pattern of series - 10 × 0.5 + 1=6 6 × 1 + 2=8 8 × 2 + 4 = 20 20 × 4 + 8 = 88 88 × 81 + 16 = <b>720</b> <b>S51. Ans.(d)</b> <b>Sol.</b> Let present age of Veer and Ayush be 16n years and 7n years respectively $ATQ - \frac{16n + 12}{7n + 12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = 35 × 3 - [(16 × 3) + (7 × 3)] = 105 - (48 + 21) = 36 years <b>S52. Ans.(c)</b> <b>Sol.</b> Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme P = $\frac{13000 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) {(1 + $\frac{10}{100})^2 - 1$ ] = 3360 (13000 + X) = 16000 X = 3000	Pattern of series –
290 + 11 <sup>2</sup> = 411 411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 <b>S50. Ans.(e)</b> <b>Sol.</b> Wrong number = 716 Pattern of series - 10 × 0.5+1=6 6 × 1+2=8 8 × 2+4=20 20 × 4+8=88 88 × 8+16=720 <b>S51. Ans.(d)</b> <b>Sol.</b> Let present age of Veer and Ayush be 16n years and 7n years respectively ATQ - $\frac{16n+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = $35 \times 3 - [(16 \times 3) + (7 \times 3)]$ = 105 - (48 + 21) = 36 years <b>S52. Ans.(c)</b> <b>Sol.</b> Amount invested by Ankit in scheme $P = \frac{3900 \times 100}{2 \times 15} = 13000$ Rs. Amount invested by Ankit in scheme $Q = (13000 + X)$ Rs. ATQ - $(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	121 + 13 <sup>2</sup> = <b>290</b>
411 + 9 <sup>2</sup> = 492 492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 <b>Sol.</b> Wrong number = 716 Pattern of series - 10 × 0.5 + 1 = 6 6 × 1 + 2 = 8 8 × 2 + 4 = 20 20 × 4 + 8 = 88 88 × 8 + 16 = <b>720</b> <b>S51.</b> Ans.(d) Sol. Let present age of Veer and Ayush be 16n years and 7n years respectively ATQ - $\frac{16n + 12}{7n + 12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = 35 × 3 - [(16 × 3) + (7 × 3)] = 105 - (48 + 21) = 36 years <b>S52.</b> Ans.(c) Sol. Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) {(1 + $\frac{10}{100})^2$ - 1} = 3360 (13000 + X) = 16000 X = 3000	$290 + 11^2 = 411$
492 + 7 <sup>2</sup> = 541 541 + 5 <sup>2</sup> = 566 <b>S50.</b> Ans.(e) <b>Sol.</b> Wrong number = 716 Pattern of series - 10 × 0.5+1=6 6 × 1+2=8 8 × 2+4=20 20 × 4+8=88 88 × 8+16= <b>720</b> <b>S51.</b> Ans.(d) <b>Sol.</b> Let present age of Veer and Ayush be 16n years and 7n years respectively ATQ - $\frac{16n+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = 35 × 3 - [(16 × 3) + (7 × 3)] = 105 - (48 + 21) = 36 years <b>S52.</b> Ans.(c) <b>Sol.</b> Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) {(1 + $\frac{10}{100})^2$ - 1} = 3360 (13000 + X) = 16000 X = 3000	$411 + 9^2 = 492$
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<b>S50.</b> Ans.(e) <b>Sol.</b> Wrong number = 716 Pattern of series - $10 \times 0.5 + 1 = 6$ $6 \times 1 + 2 = 8$ $8 \times 2 + 4 = 20$ $20 \times 4 + 8 = 88$ $88 \times 8 + 16 = 720$ <b>S51.</b> Ans.(d) <b>Sol.</b> Let present age of Veer and Ayush be 16n years and 7n years respectively $ATQ - \frac{16n + 12}{7n + 12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = $35 \times 3 - [(16 \times 3) + (7 \times 3)]$ = 105 - (48 + 21) = 36 years <b>S52.</b> Ans.(c) <b>Sol.</b> Amount invested by Ankit in scheme $P = \frac{3900 \times 100}{2 \times 15} = 13000$ Rs. Amount invested by Ankit in scheme $P = (13000 + X)$ Rs. $ATQ - (13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	541 + 5 <sup>2</sup> = 566
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88 ×8+16=720 S51. Ans.(d) Sol. Let present age of Veer and Ayush be 16n years and 7n years respectively ATQ - $\frac{16n+12}{7n+12} = \frac{20}{11}$ 36n = 108 n = 3 years Present age of Shivam = 35 × 3 - [(16 × 3) + (7 × 3)] = 105 - (48 + 21) = 36 years S52. Ans.(c) Sol. Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) {(1 + $\frac{10}{100})^2$ - 1} = 3360 (13000 + X) = 16000 X = 3000	20 ×4+8=88
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S52. Ans.(c) Sol. Amount invested by Ankit in scheme $P = \frac{3900 \times 100}{2 \times 15} = 13000 \text{ Rs.}$ Amount invested by Ankit in scheme $Q = (13000 + X) \text{ Rs.}$ ATQ - $(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	
Sol. Amount invested by Ankit in scheme $P = \frac{3900 \times 100}{2 \times 15} = 13000 \text{ Rs.}$ Amount invested by Ankit in scheme $Q = (13000 + X) \text{ Rs.}$ ATQ - $(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	S52. Ans.(c)
Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs. Amount invested by Ankit in scheme Q = (13000 + X) Rs. ATQ - (13000 + X) {(1 + $\frac{10}{100}$ ) <sup>2</sup> - 1} = 3360 (13000 + X) = 16000 X = 3000	Sol.
Amount invested by Ankit in scheme Q = $(13000 + X)$ Rs. ATQ - $(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	Amount invested by Ankit in scheme P = $\frac{3900 \times 100}{2 \times 15}$ = 13000 Rs.
ATQ - $(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	Amount invested by Ankit in scheme $Q = (13000 + X)$ Rs.
$(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$ (13000 + X) = 16000 X = 3000	ATQ –
(13000 + X) = 16000 X = 3000	$(13000 + X) \{(1 + \frac{10}{100})^2 - 1\} = 3360$
X = 3000	(13000 + X) = 16000
	X = 3000

#### S53. Ans.(a) Sol.

Total weight of class =  $(60 + 30) \times \frac{146}{3} = 4380 \ kg$ Total weight of boys =  $30 \times 56 = 1680 \ kg$ So, weight of one girl =  $\frac{(4380 - 1680)}{60} = 45 \ kg$ Required difference =  $56 - 45 = 11 \ kg$ 

## S54. Ans.(d)

#### Sol.

Let mark price of table = 100a Cost price of table for Gaurav =  $100a \times \frac{80}{100} = 80a$ Cost price of table for Rahul =  $80a \times \frac{90}{100} = 72a$ Cost price of table for Ankit =  $72a \times \frac{120}{100} = 86.4a$ ATQ -86.4a = 1296 a = 15 Rs. So, cost price of table for Rahul =  $72a = 72 \times 15 = 1080 Rs$ .

## S55. Ans.(e)

#### Sol.

Happy can complete the work alone =  $40 \times \frac{4}{5} = 32 \ days$ Let us assume Shivam can complete the work in 'd' days ATO - $\frac{12}{32} + \frac{30}{d} = 1$  $\frac{30}{d} = \frac{5}{8}$  $d = \frac{30 \times 8}{5} = 48 \text{ days}$ **S56.** Ans.(c) Sol.  $I. x^2 + 6x + 3x + 18 = 0$ x(x+6) + 3(x+6) = 0(x+6)(x+3)=0x = - 6, - 3 II.  $12y^2 + 10y + 6y + 5 = 0$ 2y(6y + 5) + 1(6y + 5) = 0(6y + 5)(2y + 1) = 0 $y = -\frac{5}{6}, -\frac{1}{2}$ 

So, x<y

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$57. Ans.(e)
Sol.
 I. x^2 = 16
    x = \pm 4
 II. y^2 - 6y - 4y + 24 = 0
   y(y-6) - 4(y-6) = 0
    (y-6)(y-4)=0
    y = 6 and 4
 So, x ≤ y
S58. Ans.(a)
Sol.
I. 12x^2 - 8x - 3x + 2 = 0
   4x(3x-2) - 1(3x-2) = 0
(4x-1)(3x-2) = 0
  x = \frac{1}{4}, \frac{2}{2}
 II. 6y^2 - 3y - 2y + 1 = 0
   3y(2y-1) - 1(2y-1) = 0
    (3y - 1)(2y - 1) = 0
 y = \frac{1}{3}, \frac{1}{2}
So, no relation can be established between x & y.
$59. Ans.(a)
Sol.
                                                            Jazyr
 I.
         6x^2 + 6x + 5x + 5 = 0
         6x(x + 1) + 5(x + 1) = 0
         (6x + 5)(x + 1) = 0
         x = -\frac{5}{6}, -1
         7y^2 + 7y + 4y + 4 = 0
 II.
         7y(y+1) + 4(y+1) = 0
         (7y + 4)(y + 1) = 0
         y = -\frac{4}{2}, -1
        So, no relation can be established between x & y.
S60. Ans.(e)
Sol.
I. 6x^2 + 6x + 4x + 4 = 0
  6x(x + 1) + 4(x + 1) = 0
(6x+4)(x+1) = 0
   x = -1, -\frac{2}{2}
II. 6y^2 + 3y + 4y + 2 = 0
   3y(2y+1) + 2(2y+1) = 0
   (2y+1) (3y+2) = 0
   y = -\frac{1}{2}, -\frac{2}{3}
```

So,  $x \le y$ 

#### S61. Ans.(a) Sol.

Total number of books sold by store P =  $(4000 + 3000) \times \frac{20}{100} = 1400$ Total number of 'Horror books' sold by store P =  $4000 \times \frac{30}{100} = 1200$ So, total 'Love story books' sold by store P = 1400 - 1200 = 200Total books sold by store Q =  $(6000 + 4000) \times \frac{40}{100} = 4000$ Total number of 'Horror books' sold by store Q =  $6000 \times \frac{40}{100} = 2400$ So, total 'Love story books' sold by store Q = 4000 - 2400 = 1600Required sum = 200 + 1600 = 1800

## S62. Ans.(e)

#### Sol.

Total number of books sold by store Q and store R together =  $(6000 + 4000) \times \frac{40}{100} + (5000)$ 

+ 4000)  $\times \frac{30}{100}$ = 4000 + 2700 = 6700 Total unsold books by store P = (4000 + 3000)  $\times \frac{80}{100}$  = 5600 Required number = 5600 -  $\frac{6700}{2}$  = 2250

#### S63. Ans.(d) Sol.

Total 'Horror books' sold by store R =  $(5000 + 4000) \times \frac{30}{100} \times \frac{5}{9} = 1500$ Total 'Horror books' sold by store Q =  $(6000 + 4000) \times \frac{40}{100} \times \frac{3}{5} = 2400$ Required sum = 1500 + 2400 = 3900

## S64. Ans.(e)

## Sol.

Unsold books by store P =  $(4000 + 3000) \times \frac{80}{100} = 5600$ Total unsold book by store Q & R =  $(6000 + 4000) \times \frac{60}{100} + (5000 + 4000) \times \frac{70}{100}$ = 6000 + 6300 = 12300

Required percentage =  $\frac{5600}{12300} \times 100 = 45.52 \approx 45\%$ 

#### S65. Ans.(c) Sol.

Total number of books sold by all three stores P, Q & R together

 $= (4000 + 3000) \times \frac{20}{100} + (6000 + 4000) \times \frac{40}{100} + (5000 + 4000) \times \frac{30}{100}$ = 1400 + 4000 + 2700 = 8100

## S66. Ans.(d) Sol. Let distance between point A to point B and point B to point C be 'm' and 'n' respectively $37.5 = \frac{100}{\frac{m}{45} + \frac{n}{80}}$ $30m + 45n = 100 \times 45 \times 30 \times \frac{1}{275}$ 2m + 3n = 240 ----- (i) Given, m + n = 100 ----- (ii) From (i) and (ii) we get n = 40 km and m = 60 km So, distance between point A to B = 60 km

#### S67. Ans.(b)

#### Sol.

Ratio of milk and water in initial mixture = 100% : 20% = 5 : 1 And, ratio of milk and water in resulting mixture = 100% : 40% = 5 : 2 ATQ -Let milk and water in initial mixture be 5x and x respectively  $\frac{5x}{x+10} = \frac{5}{2}$ 10x - 5x = 50x = 10 liters Required difference = 5x - x = 4x = 40 liters

## S68. Ans.(b)

adda 241 Sol. Let investment of A = 8xSo, investment of B = 8x ×  $\left(1 - \frac{37.5}{100}\right) = 5x$ Investment of  $C = 5x \times \frac{6}{5} = 6x$ Profit ratio of A, B & C =  $(8x \times 4)$  :  $(5x \times 8)$ :  $(6x \times 6)$ = 8:10:9ATQ -

(10 + 9) units = 17100 1 unit = 900 Rs. Profit share of A =  $8 \times 900 = 7200$  Rs.

## S69. Ans.(d)

#### Sol.

Let radius of circle A & B be 3r and 4r respectively  $2 \times \frac{22}{7} \times 3r + 2 \times 4r = 188$  cm r = 7 cm Side of square =  $\frac{8}{7} \times (3 \times 7 + 4 \times 7) = 56 \ cm$ Perimeter of square =  $56 \times 4 = 224 \ cm$ 



## \$70. Ans.(a) Sol. Ways of select four chocolates out of 16 chocolates = <sup>16</sup>C<sub>4</sub> Ways of selecting one dairy milk = ${}^{5}C_{1}$ Ways of selecting two munches = ${}^{6}C_{2}$ Ways of selecting one Kit Kat = ${}^{5}C_{1}$ Required probability = $\frac{{}^{6}C_{2} \times {}^{8}C_{1} \times {}^{8}C_{1}}{{}^{16}C_{2}}$ S71. Ans.(e) **Sol.** Let boys and girls who purchased simple royal pass be 13n and 7n respectively So, Boys who purchased elite royal pass = 7n + 1440And, girls who purchased elite royal pass = 9000 - 13n - 7n - 7n - 1440 = (7560 - 27n)ATQ -(7n + 1440 + 13n) - (7n + 7560 - 27n) = 348040n - 6120 = 348040n = 9600n = 240Total number of boys who purchased simple royal pass = 13n = 13 × 240 = 3120 Total number of girls who purchased simple royal pass = $7n = 7 \times 240 = 1680$ Total number of boys who purchased elite royal pass = $7n + 1440 = 7 \times 720 + 1440 = 3120$ Total number of girls who purchased elite royal pass = 9000 - (3120 + 1680 + 3120) = 1080Required percentage = $\frac{3120}{3120} \times 100 = 100\%$ S72. Ans.(a) **Sol.** Let boys and girls who purchased simple royal pass be 13n and 7n respectively So, Boys who purchased elite royal pass = 7n + 1440And, girls who purchased elite royal pass = 9000 - 13n - 7n - 7n - 1440 = (7560 - 27n)ATO -(7n + 1440 + 13n) - (7n + 7560 - 27n) = 348040n - 6120 = 348040n = 9600n = 240Total number of boys who purchased simple royal pass = $13n = 13 \times 240 = 3120$ Total number of girls who purchased simple royal pass = $7n = 7 \times 240 = 1680$ Total number of boys who purchased elite royal pass = $7n + 1440 = 7 \times 720 + 1440 = 3120$ Total number of girls who purchased elite royal pass = 9000 - (3120 + 1680 + 3120) = 1080Required ratio = $\frac{(3120+1680)}{(3120+1080)}$ $=\frac{4800}{4200}=8:7$

S73. Ans.(b) **Sol.** Let boys and girls who purchased simple royal pass be 13n and 7n respectively So, Boys who purchased elite royal pass = 7n + 1440And, girls who purchased elite royal pass = 9000 - 13n - 7n - 7n - 1440 = (7560 - 27n)ATO -(7n + 1440 + 13n) - (7n + 7560 - 27n) = 348040n - 6120 = 348040n = 9600n = 240Total number of boys who purchased simple royal pass =  $13n = 13 \times 240 = 3120$ Total number of girls who purchased simple royal pass =  $7n = 7 \times 240 = 1680$ Total number of boys who purchased elite royal pass =  $7n + 1440 = 7 \times 720 + 1440 = 3120$ Total number of girls who purchased elite royal pass = 9000 - (3120 + 1680 + 3120) = 1080Required difference = 1680 - 1080 = 600S74. Ans.(c) **Sol.** Let boys and girls who purchased simple royal pass be 13n and 7n respectively So, Boys who purchased elite royal pass = 7n + 1440And, girls who purchased elite royal pass = 9000 - 13n - 7n - 7n - 1440 = (7560 - 27n)ATO -(7n + 1440 + 13n) - (7n + 7560 - 27n) = 348040n - 6120 = 348040n = 9600n = 240Total number of boys who purchased simple royal pass =  $13n = 13 \times 240 = 3120$ Total number of girls who purchased simple royal pass =  $7n = 7 \times 240 = 1680$ Total number of boys who purchased elite royal pass =  $7n + 1440 = 7 \times 720 + 1440 = 3120$ Total number of girls who purchased elite royal pass = 9000 - (3120 + 1680 + 3120) = 1080Required number =  $3120 \times \frac{(100-25)}{100} = 2340$ S75. Ans.(a) **Sol.** Let boys and girls who purchased simple royal pass be 13n and 7n respectively So, Boys who purchased elite royal pass = 7n + 1440And, girls who purchased elite royal pass = 9000 - 13n - 7n - 7n - 1440 = (7560 - 27n)ATO -(7n + 1440 + 13n) - (7n + 7560 - 27n) = 348040n - 6120 = 348040n = 9600n = 240 Total number of boys who purchased simple royal pass =  $13n = 13 \times 240 = 3120$ Total number of girls who purchased simple royal pass =  $7n = 7 \times 240 = 1680$ Total number of boys who purchased elite royal pass =  $7n + 1440 = 7 \times 720 + 1440 = 3120$ Total number of girls who purchased elite royal pass = 9000 - (3120 + 1680 + 3120) = 1080Total number of boys who purchased simple royal pass and total number of girls who purchased elite royal in season 12 =  $3120 \times \frac{5}{4} + 1080 \times \frac{11}{6}$ = 3900 + 1980 = 5880

## S76. Ans.(b) Sol. $\frac{25}{100} \times (144 + ?^2) + 460 = 512$ $?^2 = 4 \times (512 - 460 - 36)$ $?^2 = 64$ ? = 8 S77. Ans.(b) Sol. $\frac{?}{100} \times 480 + \frac{20}{100} \times 360 = 240$ $4.8 \times ? = 240 - 72$ $? = \frac{168}{4.8}$ ? = 35 S78. Ans.(c) Sol. $\frac{28}{100}$ ×? +900 = 1225 + 25 $\frac{28}{100}$ ×? = 1250 - 900 $? = 350 \times \frac{100}{28}$ ? = 1250 addazyr S79. Ans.(a) Sol. $? + \frac{125}{100} \times 240 - 216 = 144$ ? = 144 - 84 ? = 60 S80. Ans.(b) **TEST SERIES** Sol. Bilingual $\frac{840}{?} = \frac{70}{100} \times 800 - 512$ $\frac{840}{?} = 560 - 512$ **IBPS RRB SO** $? = \frac{840}{48}$ **General Banking Officer** ? = 17.5SCALE-II **35 TOTAL TESTS**



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